WMAP: Measuring how the universe began

Beginning to constrain Inflation.

During today's talk, WMAP will survey 1/3 of the sky (again).





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The Universe was much hotter and denser in the past.

It has been transparent since the primordial plasma became neutral, ~380,000 years after the start.

Graphics from Dicke, Peebles, Roll and Wilkinson, Ap J 142 1965. Verification of the big bang: We see the thermal emission from the primordial plasma everywhere on the sky. It has the expected spectrum.



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Distortion of the CMB spectrum

- Energy release at z>10⁷
 double Compton efficient to recreate thermal equilibrium
- Energy release at 10⁵<z<10⁷ inverse Compton generates a Bose-Einstein distribution
- Energy release at 10³<z<10⁵ inverse Compton effective but not toward the equilibrium





Redshift (1+z)

Why is the universe anywhere close to $\Omega_0=1$ now? $\Omega_0=1$ is an unstable stationary point.



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Inflation, an incredibly rapid early expansion, solves both the flatness and horizon problems by expanding small causally connected regions beyond their "horizons," 10^{40}



Predictions of Inflation:

1. Nearly Scale Invariant spectrum;

2. Nearly Flat geometry;

3. Superhorizon scale fluctuations;

4. Gaussian distributed fluctuations;

5. Spectral index just less than 1;

6. Relic Gravitational radiation.

COBE Toco+2Df, Boomerang WMAP-1 WMAP-1

The precision of these tests are now beginning to get interesting.

Outline: Data and simple parameter fits.

Comparison to other astronomical data.

Extensions of the model to test inflation.

Q-Band 41 GHz 30' FWHM



V-Band 61 GHz 19' FWHM



W-Band 94 GHz 12' FWHM



Fluctuation Spectrum:

The lowest few terms in the spherical harmonic expansion of the temperature are fit explicitly by maximum likelihood in pixel space.

At higher *l* we use power spectrum estimation like a fourier transform.

These images are the decomposition of the ILC map into low 1 modes and are NOT used in power spectrum estimation.



The ripples in the power spectrum--called acoustic peaks--confirm a generic prediction of any big bang model

Above *l*=10 the TE crosspower spectrum is derived from the TT spectrum with no ambiguity; motion giving rise to the acoustic peaks gives rise to a correlated polarized signal.

The motion below $l \sim 200$ is taking place on scales larger than the horizon at the time of the motion.



The TT power spectrum is now cosmic-variance limited out to l = 400.







WMAP data are fit to 6 parameters:

Baryon density, Total matter density, Current expansion rate, Optical depth to the CMB, Slope of the fluctuation spectrum, Amplitude of the fluctuation spectrum.

In the simplest fits we assume Flat, do not fit for Λ , age or w.

Parameter	First Year	WMAPext	Three Year
	Mean	Mean	Mean
$100\Omega_b h^2$	$2.38^{+0.13}_{-0.12}$	$2.32_{-0.11}^{+0.12}$	2.23 ± 0.08
$\Omega_m h^2$	$0.144\substack{+0.016\\-0.016}$	$0.134\substack{+0.006\\-0.006}$	0.126 ± 0.009
H_0	72^{+5}_{-5}	73^{+3}_{-3}	74^{+3}_{-3}
au	$0.17\substack{+0.08 \\ -0.07}$	$0.15\substack{+0.07 \\ -0.07}$	0.093 ± 0.029
n_s	$0.99^{+0.04}_{-0.04}$	$0.98\substack{+0.03\\-0.03}$	0.961 ± 0.017
Ω_m	$0.29^{+0.07}_{-0.07}$	$0.25\substack{+0.03\\-0.03}$	0.234 ± 0.035
σ_8	$0.92^{+0.1}_{-0.1}$	$0.84^{+0.06}_{-0.06}$	0.76 ± 0.05

Chi-squared is 1.041 for ~4000 DoF

Comparison to direct measurements of expansion, H(z)





The Universe is older than the stuff in it is.

In a flat universe the location of the first acoustic peak tells us the age of the universe.

In the end, we calculate t from the results of the full 6-D fit.

WMAP Age :13.73 +0.13 -0.17 Gyr

Fits to white dwarf cooling curves give an age estimate for the globular cluster they live in:

WD Age: 12.1 Gyr

Add to this an estimate for globular cluster formation and star ignition.



WMAP data alone "predict" the amplitude and shape of the power spectrum probed at much smaller physical scales by 3D surveys of the distribution of galaxies in redshift space.



The baryon-to-photon ratio is the only free parameter in calculating nuclear fusion models of the first few minutes. The WMAP constraint agrees with direct measurements of primordial abundance (if you ignore lithium).

CMB-based BBN prediction

 $2.58^{+0.14}_{-0.13}$

 $1.05 \pm 0.03 \pm 0.03$ (syst.)

 $0.24815 \pm 0.00033 \pm 0.0006$ (syst.)

 2.64 ± 0.03

 $10^5 y_D^{FIT}$

 $10^5 y_3$

 Y_P

[Li]



If we do not assume flatness a variety of fits become acceptable to WMAP alone.



Inclusion of any one of a number of other astronomical measurements restricts the allowed region to be very close to flat.

Supernavae measure a distance to z~1.

Baryon Acoustic oscillations measure a distance to z~0.35.

Either of these in combination with the CMB distance to z=1035. Constrains geometry.





In addition to the six parameters some others are held at "obvious" values of 1 or 0.

For example, flat means

 $\Omega b + \Omega m + \Lambda = 1$

so we do not need to fit for all 3.

First, lets see how the six parameter model does against other data.

Then let's see about other parameters, relaxing flatness, exploring non- Λ cosmologies, adding gravitational radiation...

Relaxing the model I:

Do not insist on Lambda. Let the ratio of pressure to density be a free parameter.



Relaxing the model II: The comparison of WMAP to 2dF constrains the neutrino mass.

Massive neutrinos can hide in the CMB...

Solid: h=0.71 neutrino density=0 effect on galaxy clustering. Dashed: h=0.60 neutrino density=0.02 10⁵ 6000 2dF 5000 104 $(1+1)/(2\pi)C_1$ 4000 10³ P(k) 3000 102 2000 10 Lyman Alpha` 1000 100 500 1000 1500 0.01 0.10 1.00 k/(Mpc/h`

... but at low redshift they are no longer relativistic and have a big effect on galaxy clustering. We are moving toward a level of precision where we might usefully fit neutrino mass and w simultaneously. (We do still need a factor of 10!)





Relaxing III: Constraints

In monotonic inflationary potentials such as $V(\phi) \propto \phi^{\alpha}.$

after N e-foldings, we expect the tensor/scalar ratio and spectral index to obey

$$r = 16\epsilon_1 \simeq \frac{4\alpha}{N}$$
$$1 - n_s = 2\epsilon_1 + \epsilon_2 \simeq \frac{\alpha + 2}{2N}$$

